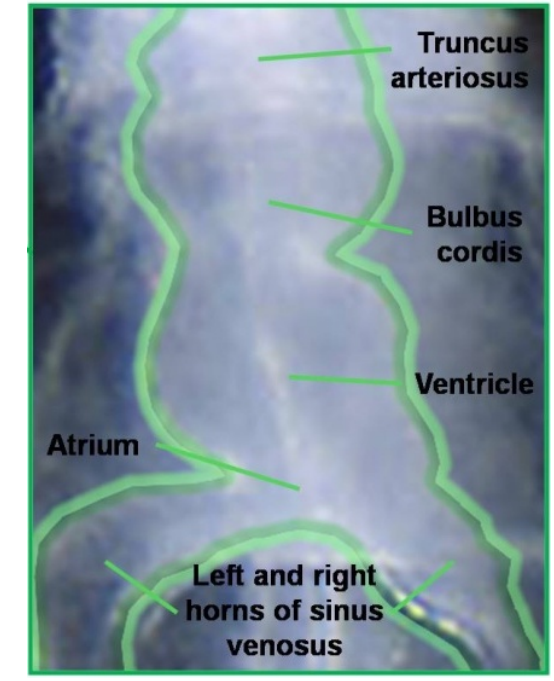




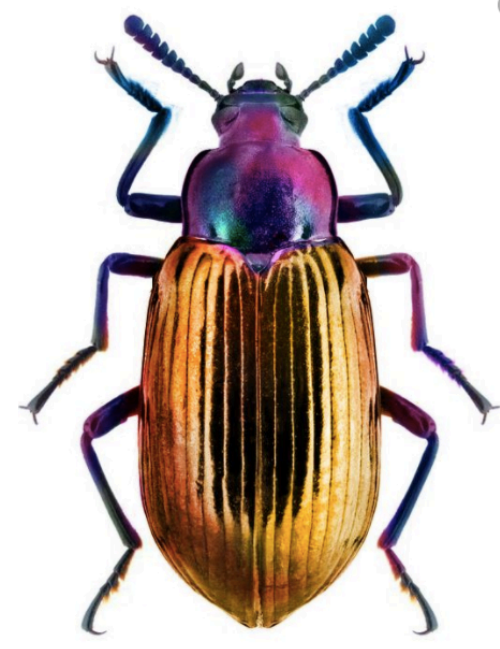
Introduction

In the early stages of heart morphogenesis, the heart is a tubular vessel that efficiently pumps embryonic blood throughout developing circulatory system.



embryology.med.unsw.edu

In invertebrates such as arthropods (insects) the heart is a tubular valveless structure made of successive chambers. Peristaltic contractions drive the mixing and bulk flow of hemolymph in the insect heart



pinterest.ca/ideas/beetles/

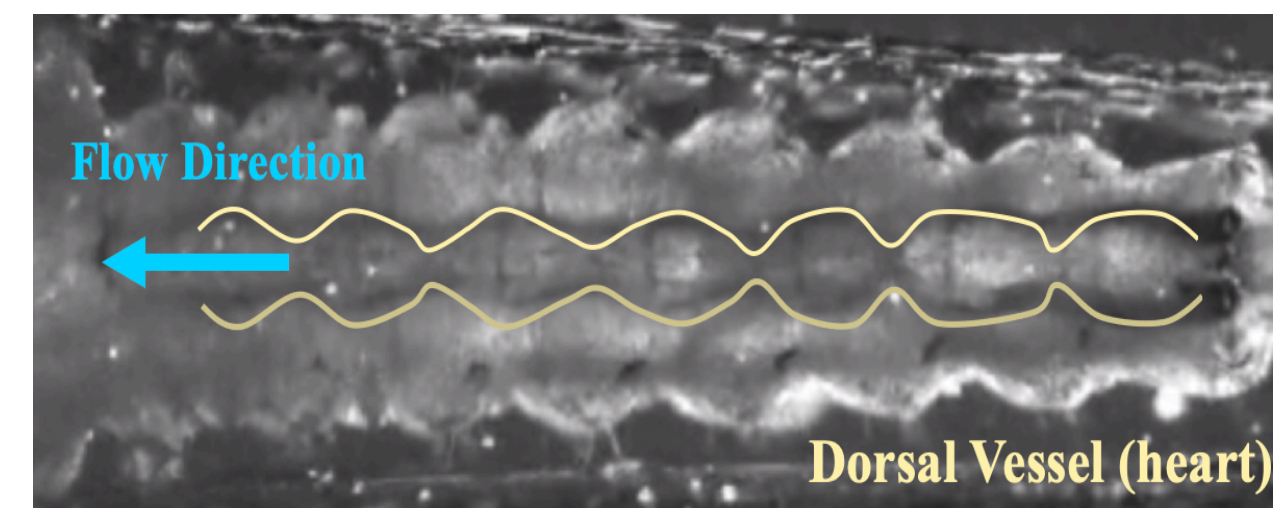
We developed a fluid structure interaction model to design a new biomimetic pump.

QUESTIONS: How can we maximize bulk volumetric flow in a bioinspired valveless pump, based on geometric asymmetry?

Sawtooth Model

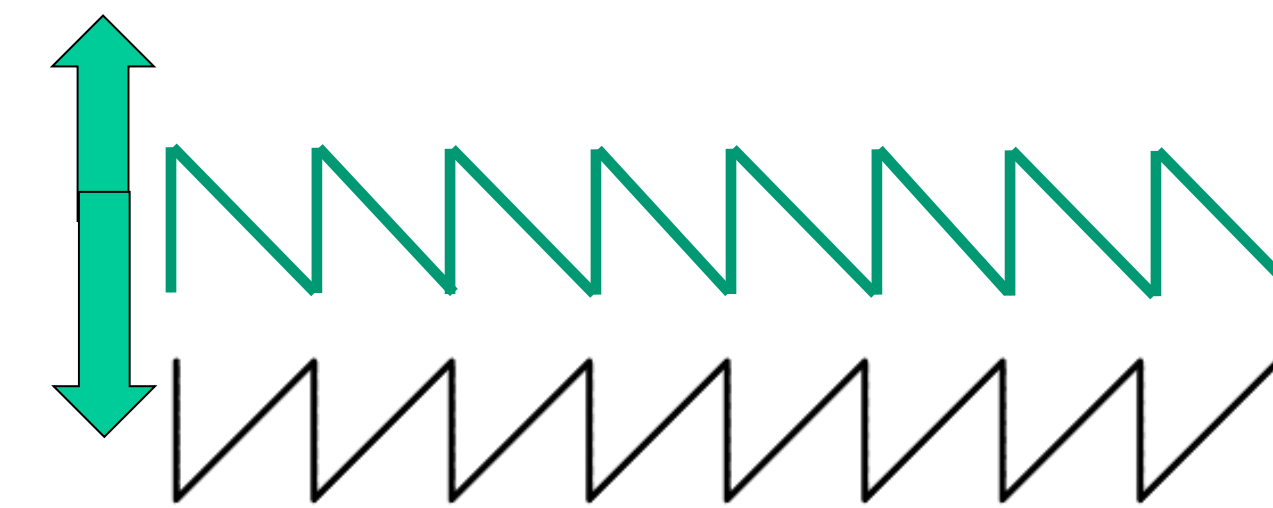
Model Idea:

- Valveless pumping action
- Geometric asymmetry biases bulk fluid flow



* Adapted from League et al., J. Exp. Biol. 2015

$$Y(t) = a/2 \sin(2\pi ft)$$



What is the Reynolds Number?

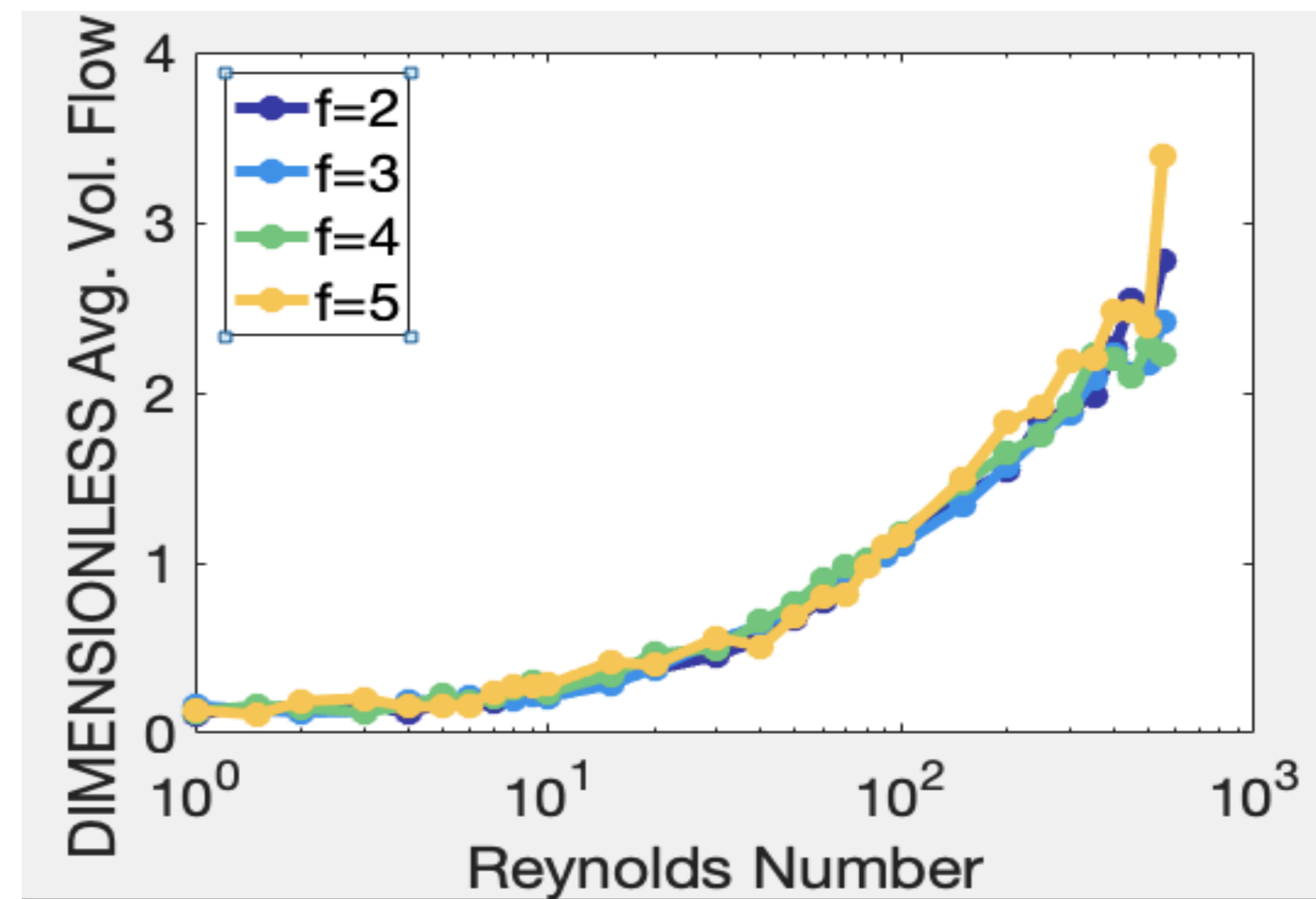
"The ratio of inertial forces to viscous forces"

$$Re = \frac{\rho LV}{\mu} = \frac{\rho f L^2}{\mu}$$

ρ : fluid density
 L : characteristic length
 V : characteristic velocity
 μ : fluid viscosity

Reynolds Number Vs Volumetric Flow

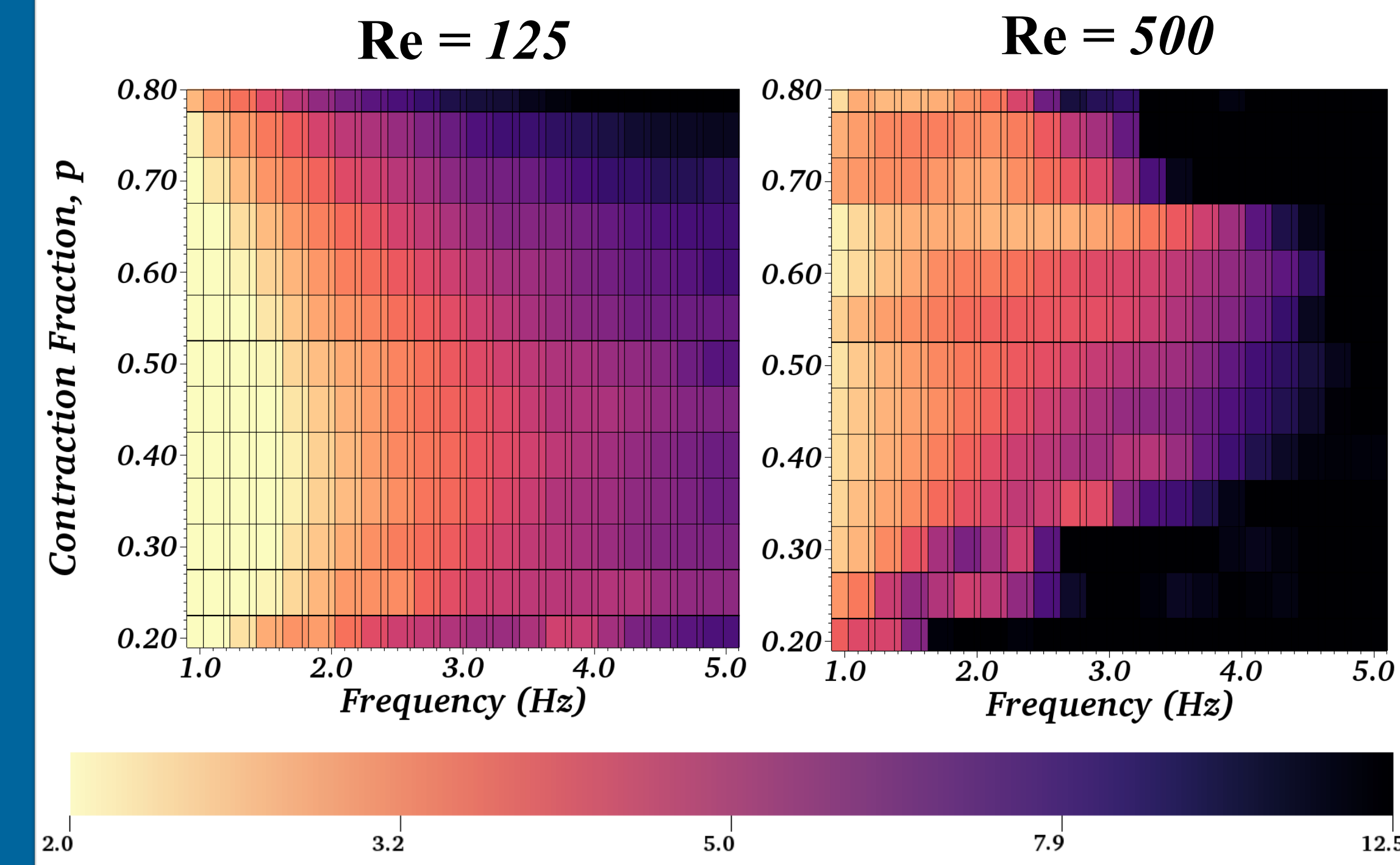
How does Re influence the model's volumetric flow rate?



- The data collapses when non-dimensionalizing the volumetric flow rate by dividing by characteristic velocity scale: fL
- Allows for further analysis using only one pumping frequency

Frequency Vs Contraction Fraction

How does the Frequency of the Sawtooth oscillation effect the volumetric flow when it is not dimensionless?



- Asymmetric contraction patterns correlates to a higher volumetric flow
- Higher frequencies result in higher bulk flow

Immersed Boundary Method

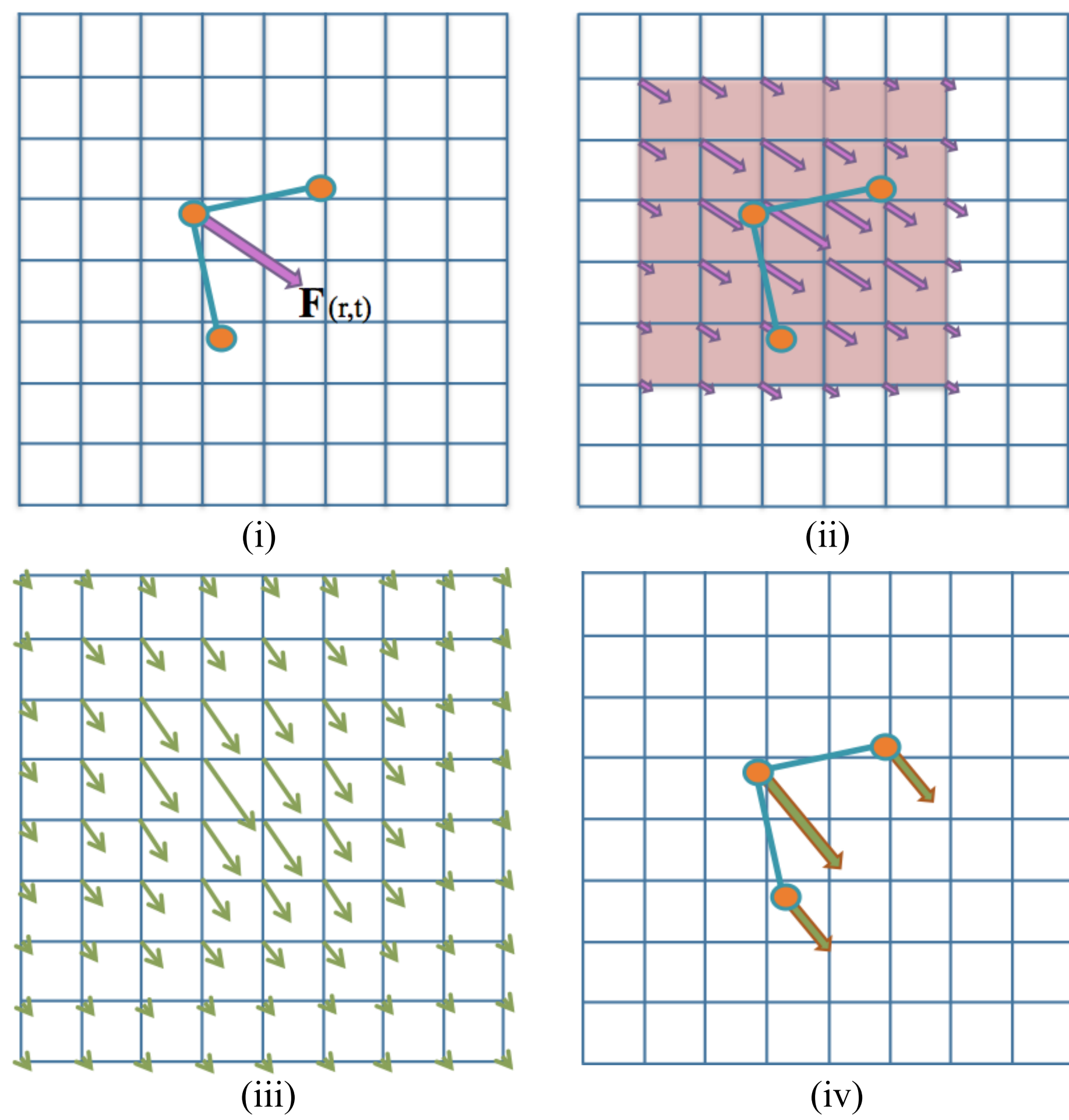


Figure: Steps in Dr. Charlie Peskin's immersed boundary method [2,3].

Conservation of Momentum

$$\rho \left(\frac{\partial \mathbf{u}(\mathbf{x}, t)}{\partial t} + \mathbf{u}(\mathbf{x}, t) \cdot \nabla \mathbf{u}(\mathbf{x}, t) \right) = -\nabla p(\mathbf{x}, t) + \mu \Delta \mathbf{u}(\mathbf{x}, t) + \mathbf{f}(\mathbf{x}, t)$$

Conservation of Mass

$$\nabla \cdot \mathbf{u} = 0$$

Force Coupling Equation

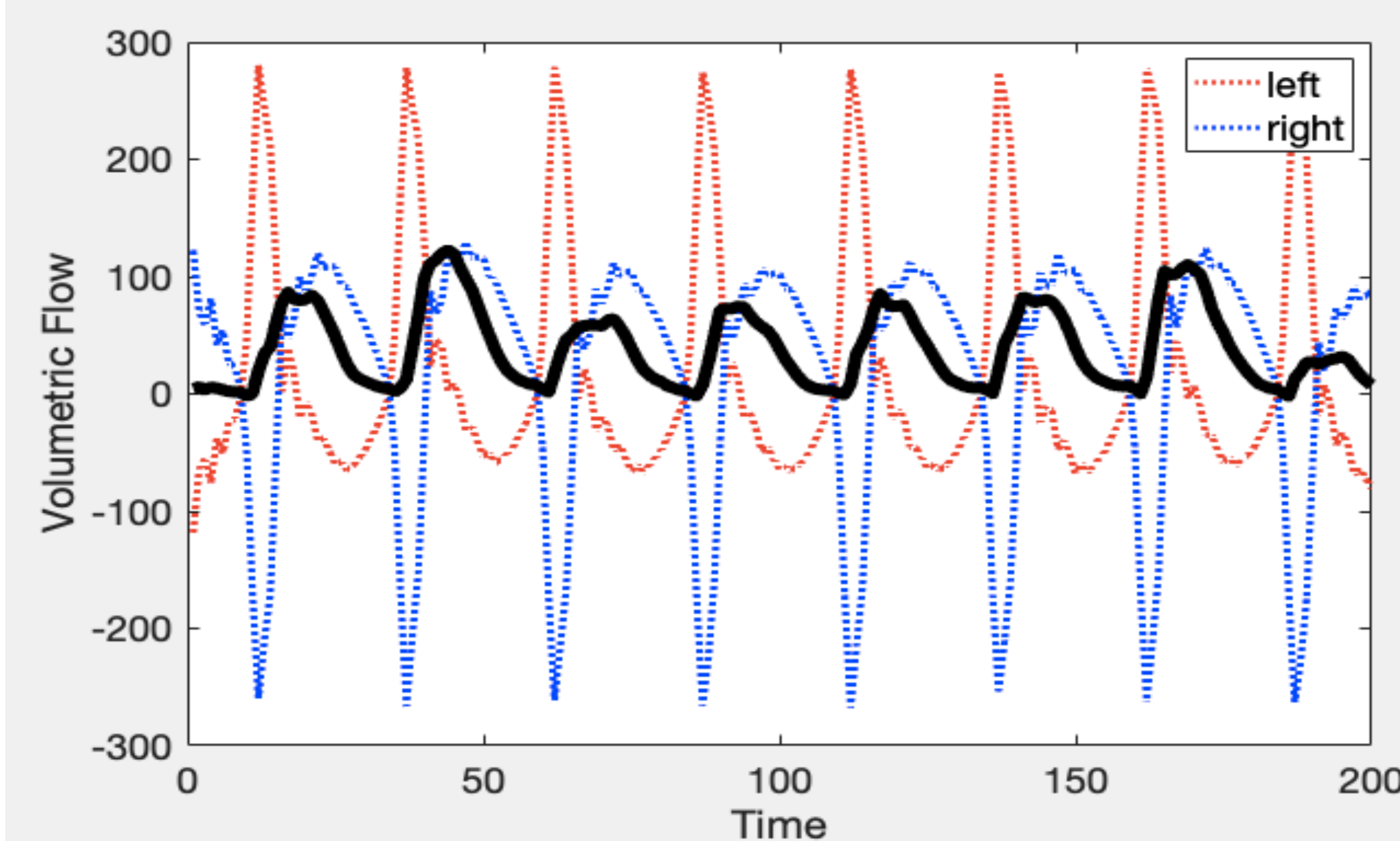
$$\mathbf{f}(\mathbf{x}, t) = \int \mathbf{F}(r, t) \delta(\mathbf{x} - \mathbf{X}(r, t)) dr$$

Velocity Coupling Equation

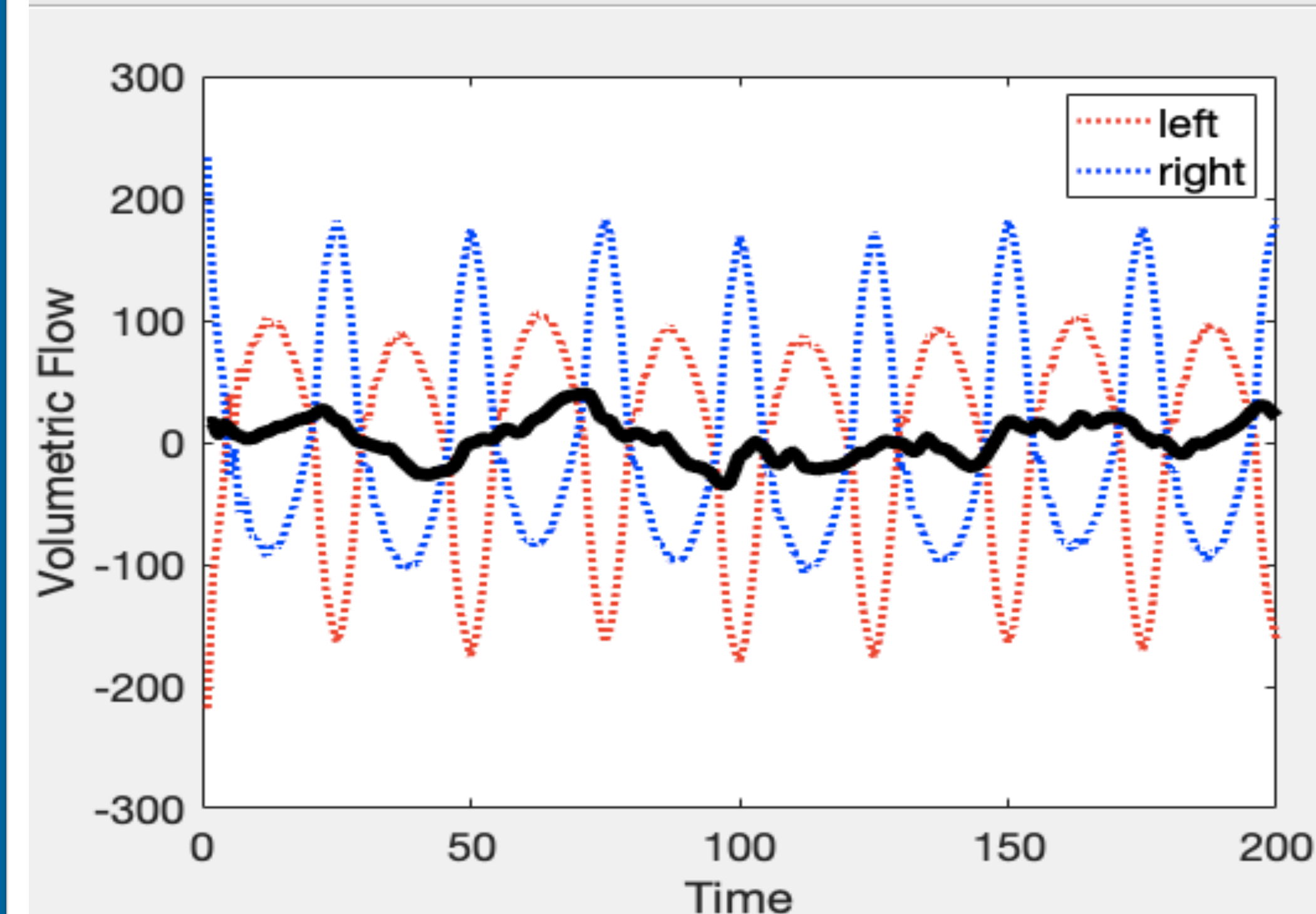
$$\mathbf{U}(\mathbf{X}(r, t), t) = \frac{\partial \mathbf{X}(r, t)}{\partial t} = \int \mathbf{u}(\mathbf{x}, t) \delta(\mathbf{x} - \mathbf{X}(r, t)) dx$$

Volumetric Flow Vs Time

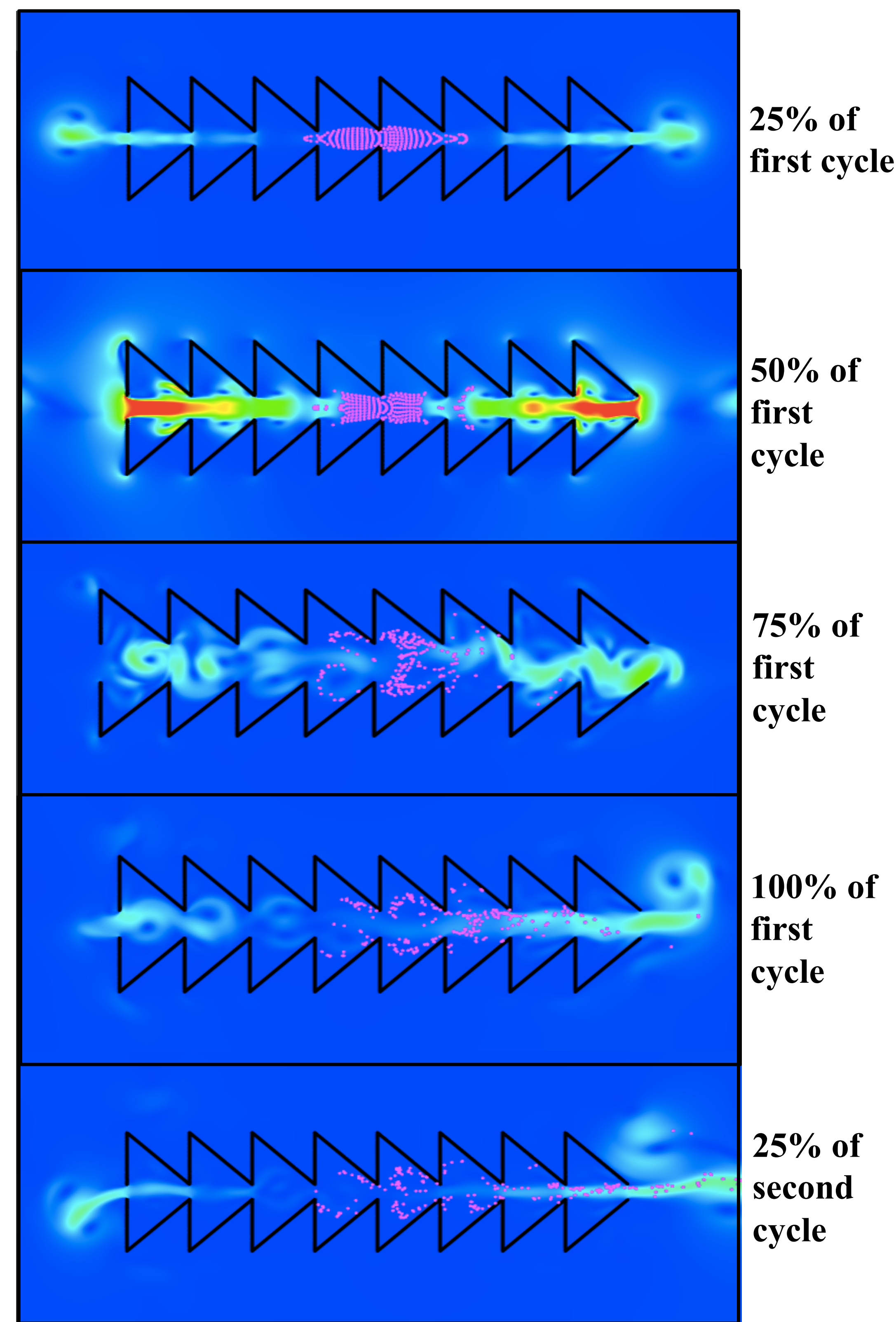
Re 450 , Contraction Percentage = 75%



Re 500, Contraction Percentage = 35%

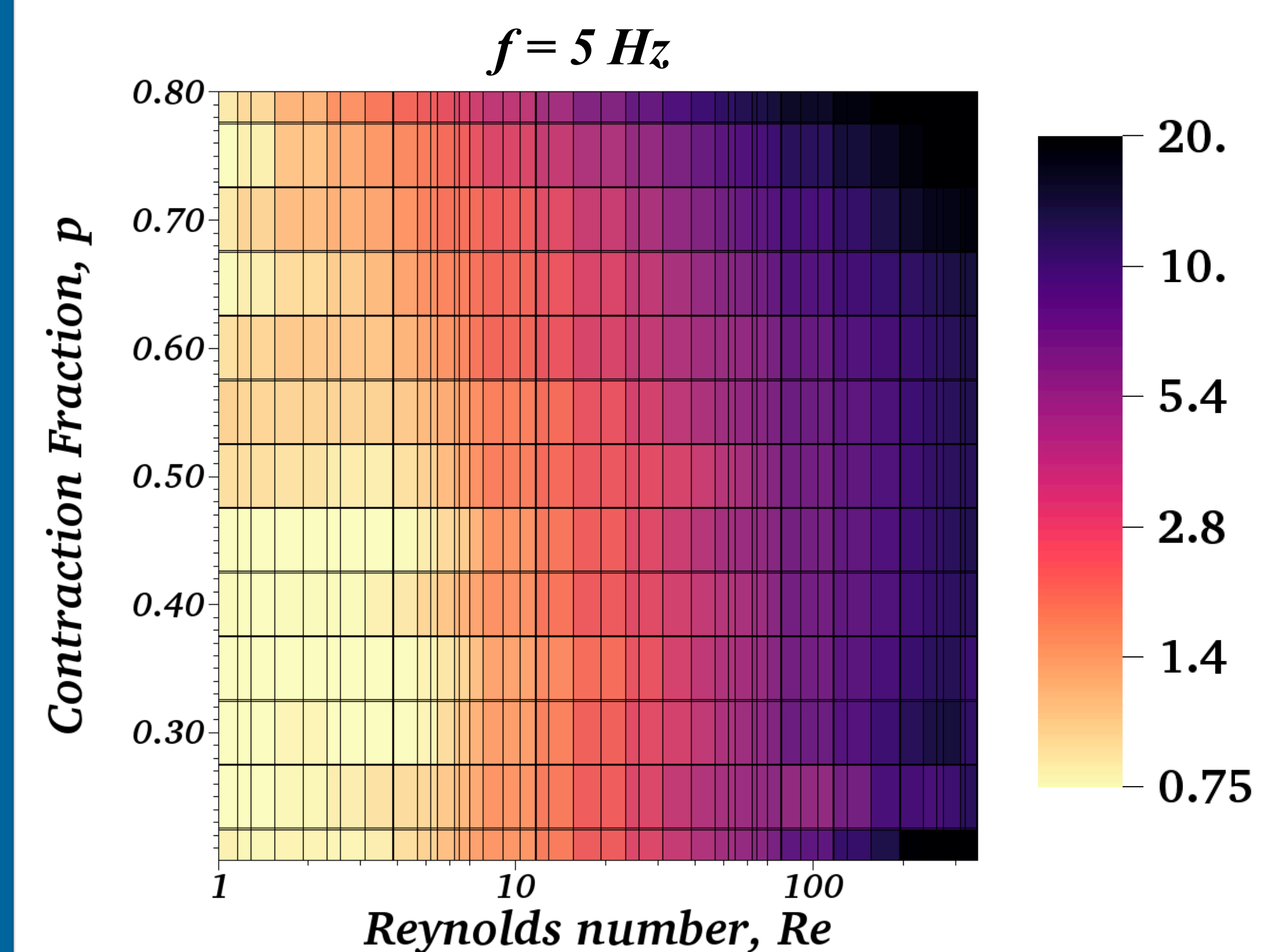


Flow Visualizations with Tracers



Reynolds Number Vs Contraction Fraction

How does the contraction percentage of each cycle affect the volumetric flow for different Re?



- Higher Re and greater asymmetric contraction patterns lead to greater flow rates

REFERENCES

- Thiria, B., and Zhang, J., *Ratcheting Fluid with Geometric Anisotropy*. Applied Physics Letters, 106(5): 054106, 2015
- Peskin, C.S., *The Immersed Boundary Method*, Acta Numerica, 11:479-517 (2002)
- Battista, N.A., Strickland, W.C., Miller, L.A., *IB2d: a Python and MATLAB implementation of the immersed boundary method*. Bioinspir. Biomim. 12(3): 036003 (2017)
Software freely available at: <http://github.com/nickabattista/IB2d>

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